

Privacy-Preserving Textual Analysis via Calibrated Perturbations

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ABSTRACT

Accurately learning from user data while providing quantifiable privacy guarantees provides an opportunity to build better ML models while maintaining user trust. This paper presents a formal approach to carrying out privacy preserving text perturbation using the notion of d_χ -privacy designed to achieve geo-indistinguishability in location data. Our approach applies carefully calibrated noise to vector representation of words in a high dimension space as defined by word embedding models. We present a privacy proof that satisfies d_χ -privacy where the privacy parameter ϵ provides guarantees with respect to a distance metric defined by the word embedding space. We demonstrate how ϵ can be selected by analyzing plausible deniability statistics backed up by large scale analysis on GLOVE and FASTTEXT embeddings. We conduct privacy audit experiments against 2 baseline models and utility experiments on 3 datasets to demonstrate the tradeoff between privacy and utility for varying values of ϵ on different task types. Our results demonstrate practical utility (< 2% utility loss for training binary classifiers) while providing better privacy guarantees than baseline models.

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Summary

- **User's goal:** meet some specific need with respect to an issued query x
- **Agent's goal:** satisfy the user's request
- **Question:** what occurs when x is used to make other inferences about the user
- **Mechanism:** modify the query to protect privacy whilst preserving semantics
- **Our approach:** Generalized Metric Differential Privacy.

Introduction

What makes privacy difficult?



High dimensional data
Big and richer datasets lead to users generating uniquely identifiable information.



Side knowledge
Innocuous data reveals customer information when joined with side-knowledge.

Privacy in textual data

A Face Is Exposed for AOL Searcher No. 4417749

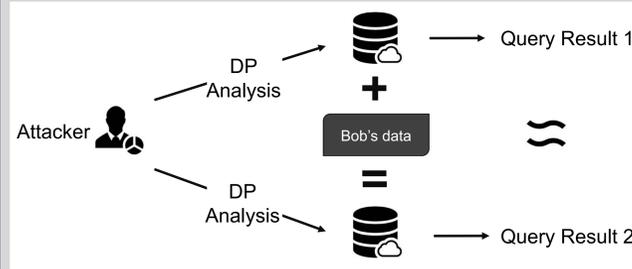
By MICHAEL BARBARO and TOM ZELLER Jr. AUG. 9, 2006 NEW YORK TIMES ARTICLE

User	Text
441779	dog that urinates on everything
441779	safest place to live
...	
441779	the best season to visit Italy
441779	landscapers in Lilburn, GA

Most of the queries do not contain PII

A viable solution: Differential Privacy

ϵ -Differential Privacy (DP) bounds the influence of any single input on the output of a computation.



Result 1 is approximately equal to Result 2

Differential Privacy

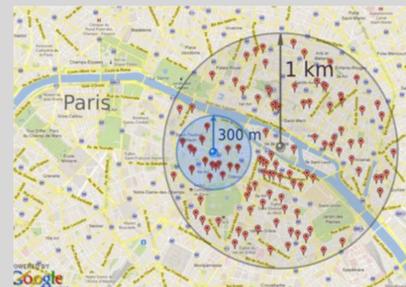
A randomized mechanism $\mathcal{M} : X \mapsto Y$ is ϵ -differentially private if for all neighboring inputs $x \approx x'$ (i.e., $d_h(x, x') = 1$ where d_h is the Hamming distance) and for all set of outputs $E \subseteq Y$,

$$\mathbb{P}[\mathcal{M}(x) \in E] \leq e^{\epsilon d_h(x, x')} \mathbb{P}[\mathcal{M}(x') \in E]$$

Metric DP generalizes this to use any valid metric $d_h(x, x')$, (i.e., one that satisfies non negativity, indiscernibles, symmetry, and triangle inequality)

Generalized Metric Differential Privacy

Metric DP is a parameterized by a distance measure d and, conceptually, increases the area where a person's location probably lies



Represent using word embeddings which map words into a vector space $\phi: w \mapsto \mathbb{R}^n$

Mechanism Overview

We sample noise from the multivariate Laplacian distribution to achieve ϵ -mDP

- **Robust to post-processing**
If \mathcal{M} is ϵ -DP, then $f(\mathcal{M})$ is at least ϵ -DP
- **Composition**
If $\mathcal{M}_1, \dots, \mathcal{M}_n$ are ϵ -DP, $g(\mathcal{M}_1, \dots, \mathcal{M}_n)$ is $\sum_{i=1}^n \epsilon_i$ -DP by additive composition
- **Protects against side knowledge**
If attacker has prior p_1 and computes posterior p_2 after observing output of ϵ -DP, then $dist(p_1, p_2) = \mathcal{O}(\epsilon)$

Mechanism Details

Inputs:

- $w \in W$: word to be 'privatized'
- $\phi: W \mapsto Z$: embedding function
- $d: Z \times Z \mapsto \mathbb{R}$: distance function
- $\Omega(\epsilon)$: DP noise distribution

1. Project word $v = \phi(w)$
2. Perturb $v' = v + \xi$ where $\xi \sim \Omega(\epsilon)$
3. Vector v' will not be a word (a.s.)
4. Project back to dictionary space $W: w' = \arg \min_{w \in W} d(v', \phi(w))$
5. Return w'

Sampling and Calibration

To sample from the multivariate Laplace distribution: $\Omega(\epsilon)$

1. Sample a random variable v from the multivariate normal distribution
2. Sample a magnitude l from the Gamma distribution with $1/\epsilon$
3. Return $v \cdot l$

Define statistics to measure the ϵ privacy:

1. Probability $N_w = P[\mathcal{M}(w) = w]$ of not modifying input word w and,
2. The (effective) support of the output distribution S_w on $\mathcal{M}(w)$

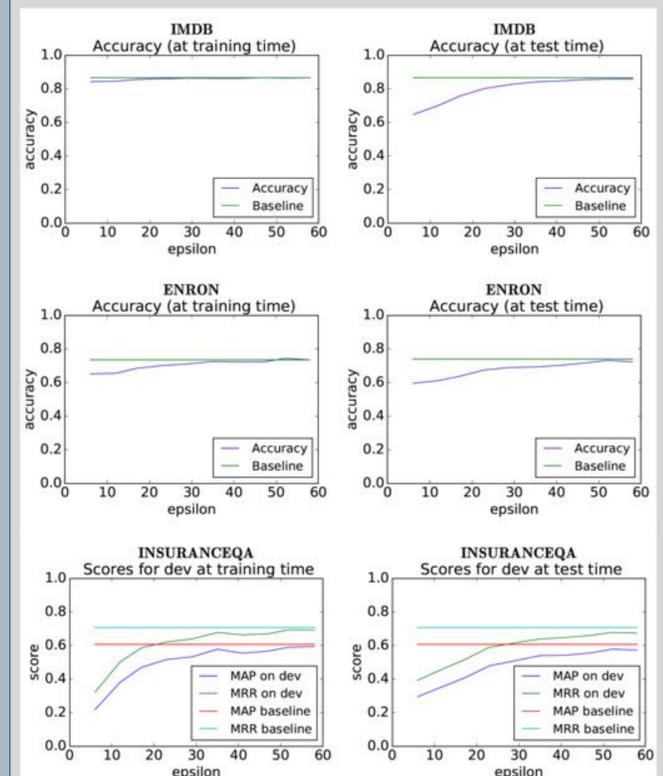
Sample results

ϵ	Avg. N_w	w = encryption	
		GLOVE	FASTTEXT
50	50	freebsd	ncurses
		multibody	vpns
100	100	56-bit	tcp
		public-key	isdn
200	200	ciphertxts	plaintext
		truecrypt	diffie-hellman
300	300	demodulator	multiplexers
		rootkit	cryptography
300	300	harbormaster	cryptographic
		unencrypted	ssl/tls
300	300	cryptographically	authentication
		authentication	cryptography
300	300	decryption	encrypt
		encrypt	unencrypted
300	300	encrypted	encryptions
		encryption	encrypted

Experiment Results

Metric	6	12	17	23	29	35	41	47
Precision	0.00	0.00	0.00	0.00	0.67	0.90	0.93	1.00
Recall	0.00	0.00	0.00	0.00	0.02	0.09	0.14	0.30
Accuracy	0.50	0.50	0.50	0.50	0.51	0.55	0.57	0.65
AUC	0.06	0.04	0.11	0.36	0.61	0.85	0.88	0.93

Scores measure privacy loss (lower is better)



Utility of downstream machine learning model on data (higher is better)